

# Deadlock



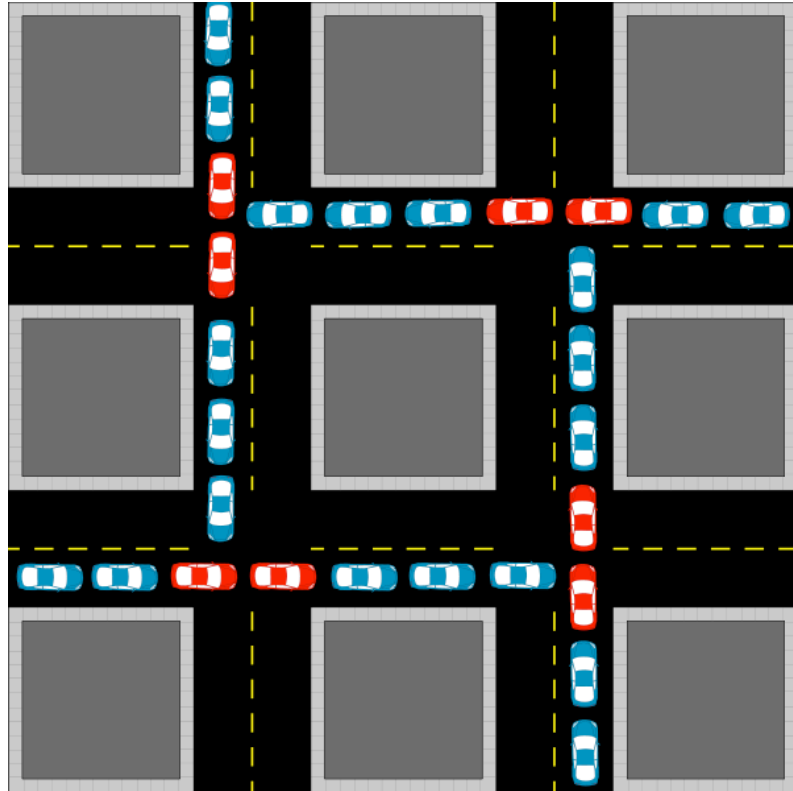
CS 450 : Operating Systems  
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deadlock |'ded,läk|

noun

**1** [in sing. ] a situation, typically one involving opposing parties, in which no progress can be made : *an attempt to break the deadlock.*

- New Oxford American Dictionary



# Traffic Gridlock

```
mtx_A.lock()  
mtx_B.lock()  
  
# critical section  
  
mtx_B.unlock()  
mtx_A.unlock()
```

```
mtx_B.lock()  
mtx_A.lock()  
  
# critical section  
  
mtx_B.unlock()  
mtx_A.unlock()
```

## Software Gridlock

# § Necessary conditions for Deadlock

i.e., what conditions need to be true (of some system) so that deadlock *is possible*?  
(not the same as *causing* deadlock!)

# I. Mutual Exclusion

- resources can be held by processes in a mutually exclusive manner

## II. Hold & Wait

- while holding one resource (in mutex), a process can request another resource



### III. No Preemption

- one process can not force another to give up a resource; i.e., releasing is *voluntary*

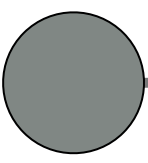

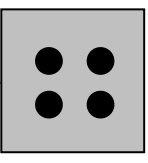
## IV. Circular Wait

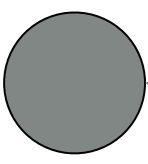

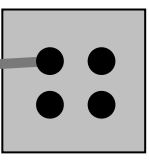
- resource requests and allocations create a *cycle* in the *resource allocation graph*

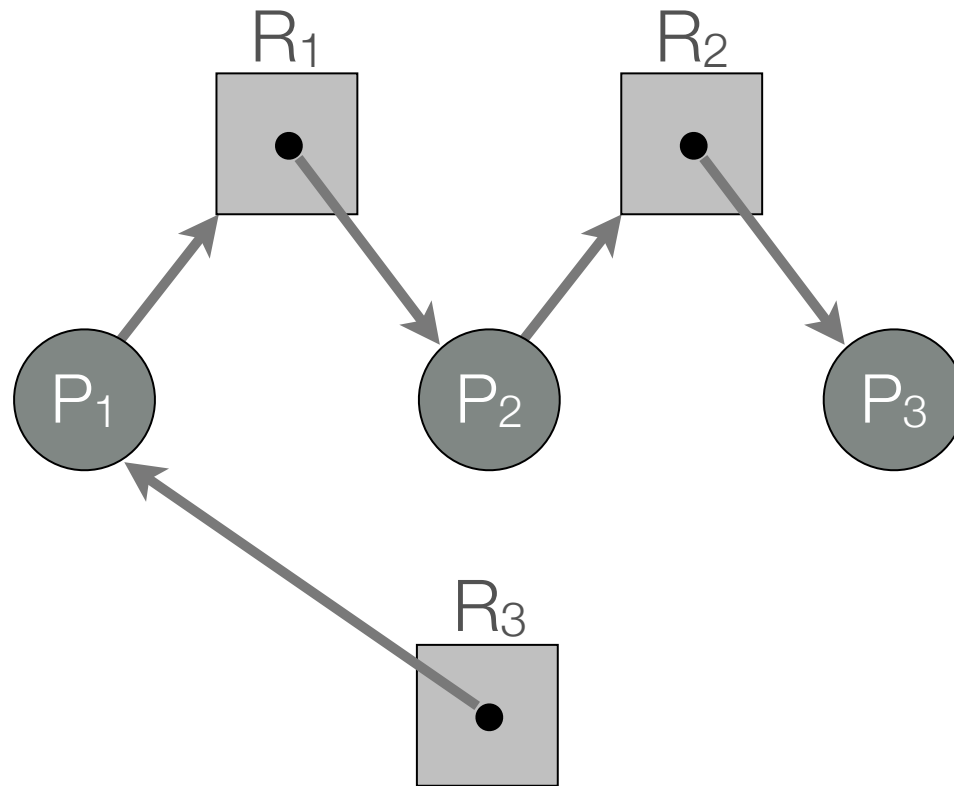
# § Resource Allocation Graphs

Process : 

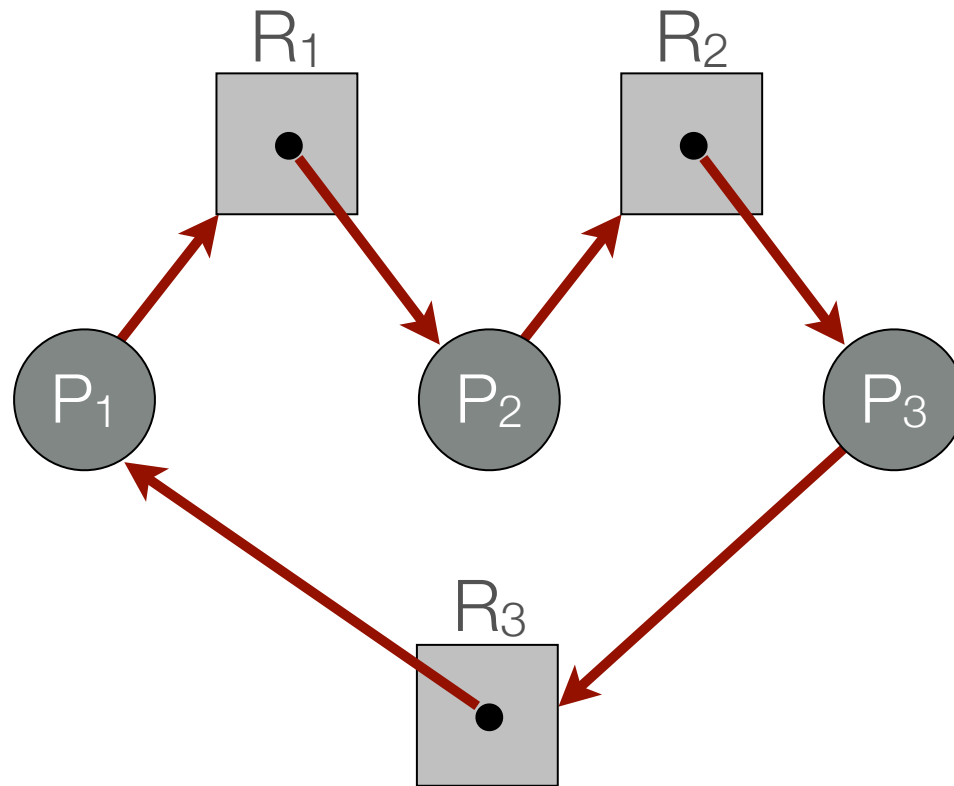
Resource : 

Request :   

Allocation :   

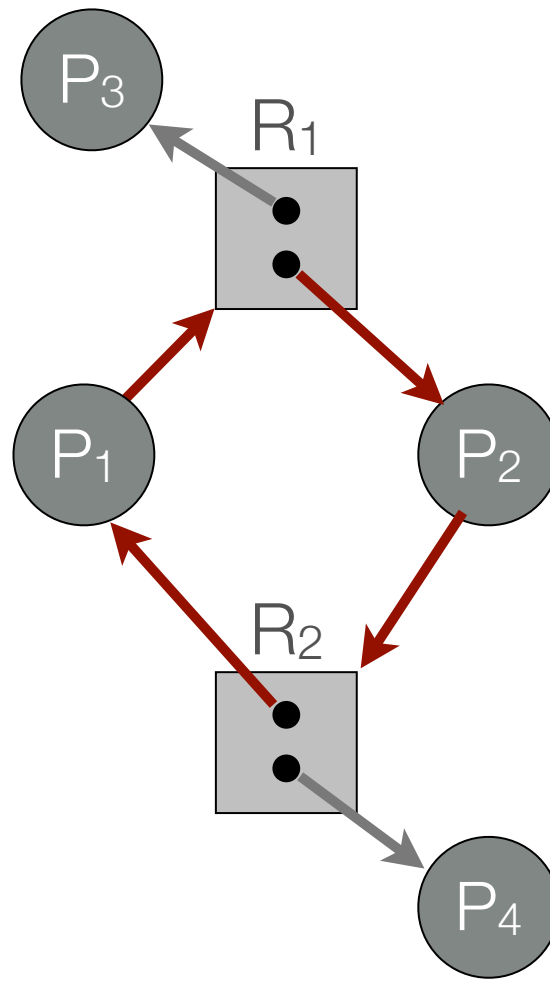


Circular wait is absent = no deadlock



All 4 necessary conditions in place; Deadlock!

in a system with *only single-instance resources*,  
necessary conditions  $\Leftrightarrow$  deadlock



Cycle without Deadlock!



not practical (or always possible) to detect  
deadlock using a graph

— but convenient to help us  
reason about things

# § Approaches to Dealing with Deadlock

1. Ostrich algorithm

(ignore it and hope it never happens)

2. Prevent it from occurring (avoidance)

3. Detection & recovery

# § Deadlock avoidance

¶ Approach 1: eliminate necessary  
condition(s)

## Mutual exclusion?

- eliminating mutex requires that all resources be *shareable*
- when not possible (e.g., disk, printer), can sometimes use a *spooler process*

but what about semaphores, file locks, etc.?

- not all resources are spoolable

- *cannot eliminate mutex* in general

## Hold & Wait?

- elimination requires resource requests to be all-or-nothing affair
- if currently holding, needs to release all before requesting more



in practice, very inefficient  
& starvation is possible!

— *cannot eliminate hold & wait*

## No preemption?

- alternative: allow process to preempt each other and “steal” resources
  - mutex locks can not be counted on to stay locked!
- in practice, *cannot eliminate* this either!

Circular Wait is where it's at.

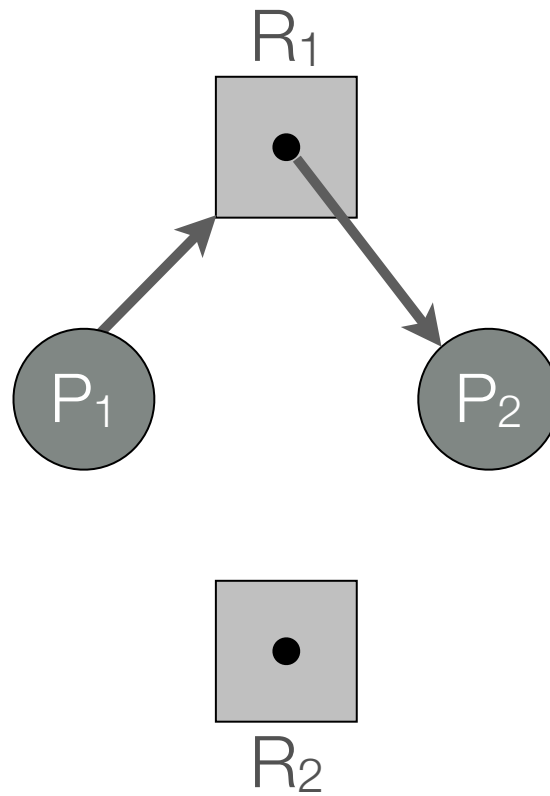
simple mechanism to prevent wait cycles:

- order all resources
- require that processes request resources in order

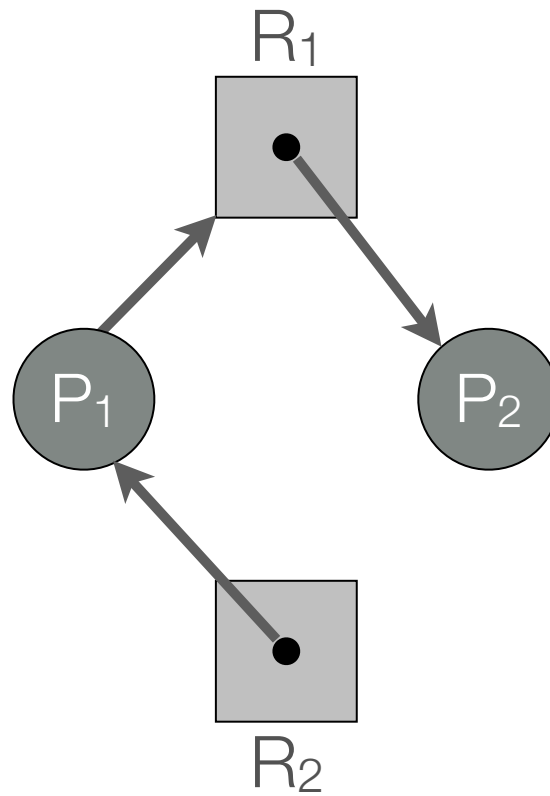
but *impractical* — can not count on processes  
to need resources in a certain order

... and forcing a certain order can  
result in *poor resource utilization*

¶ Approach 2: *intelligently prevent*  
circular wait

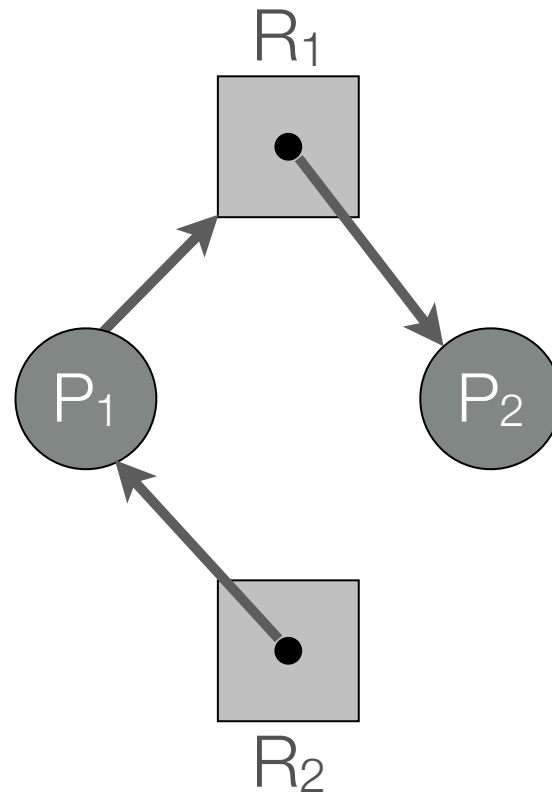


possible to create a cycle (with one edge)?

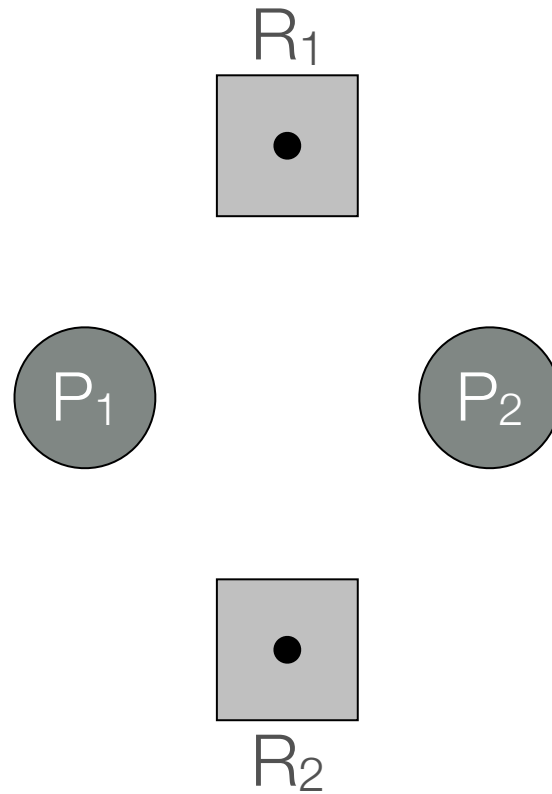


possible to create a cycle (with one edge)?

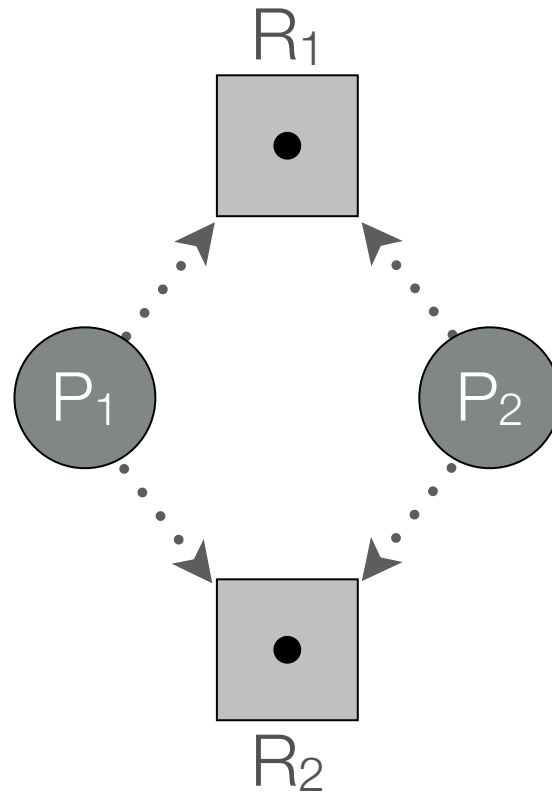




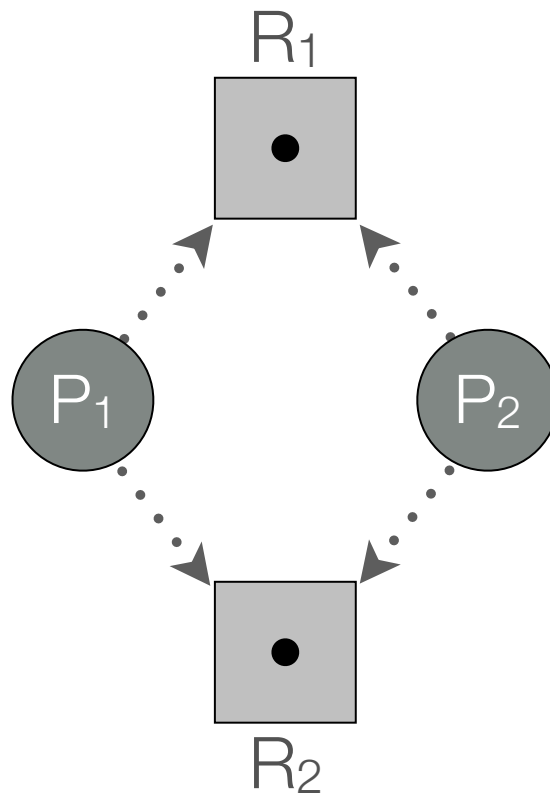
it's quite possible that  $P_2$  won't need  $R_2$ , or maybe  $P_2$  will release  $R_1$  before requesting  $R_2$ , but we don't know if/when...



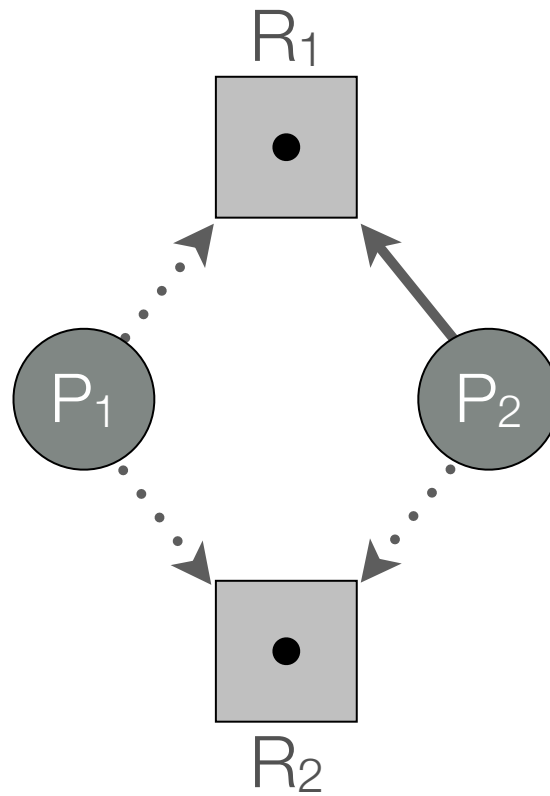
preventing circular wait means avoiding a state  
where a cycle is an imminent *possibility*



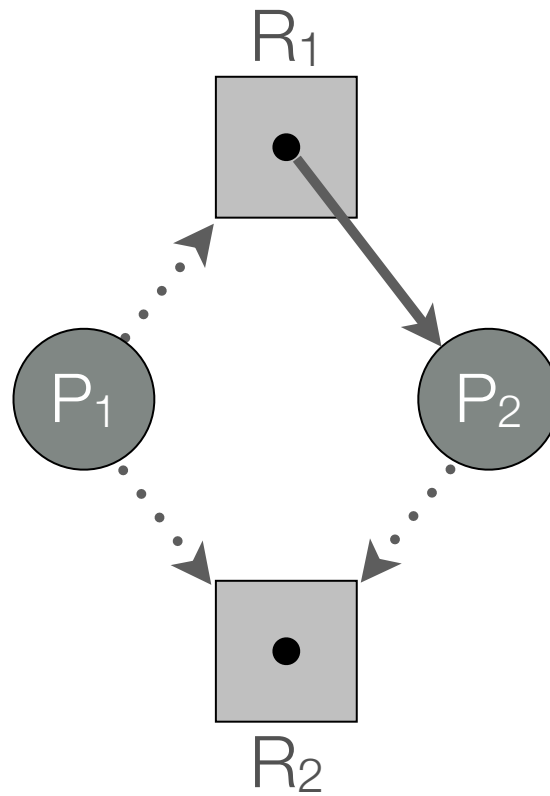
to predict deadlock, we can ask processes to “claim” all resources they need in advance



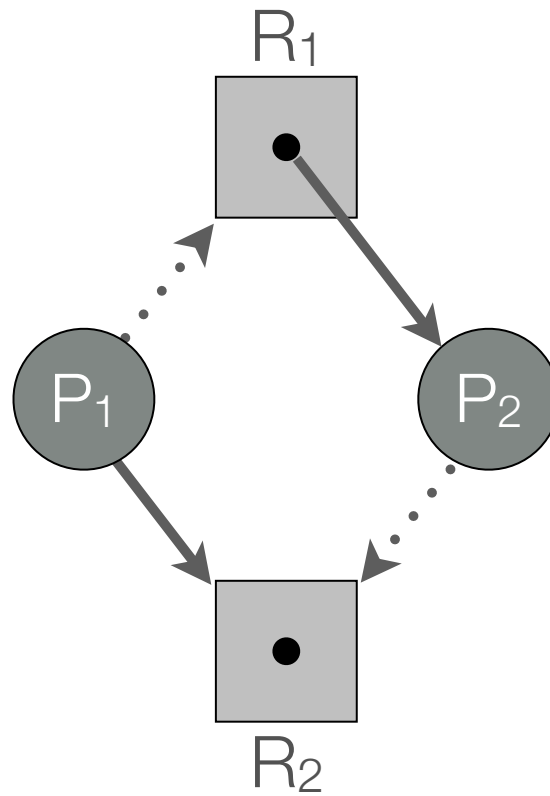
graph with “claim edges”



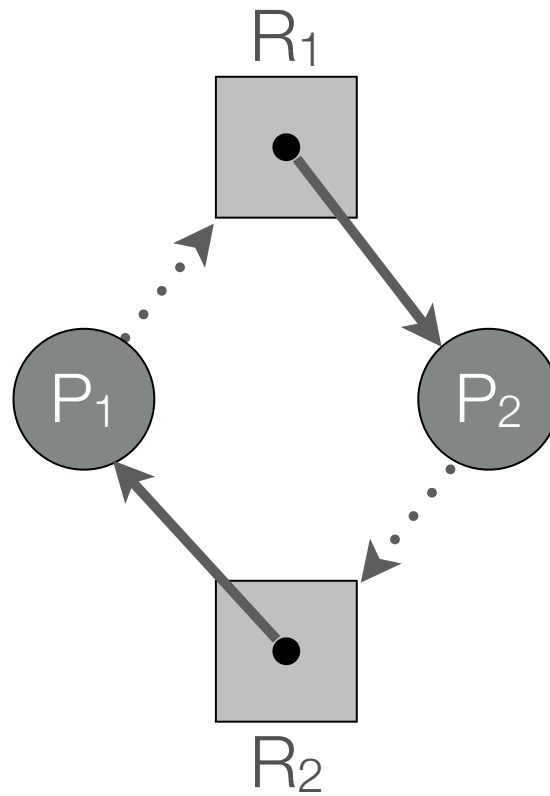
$P_2$  requests  $R_1$



convert to allocation edge; no cycle

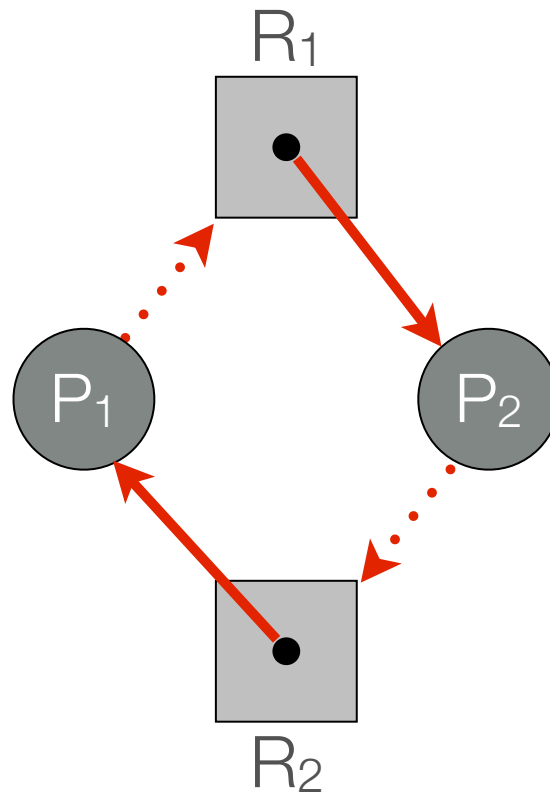


$P_1$  requests  $R_2$

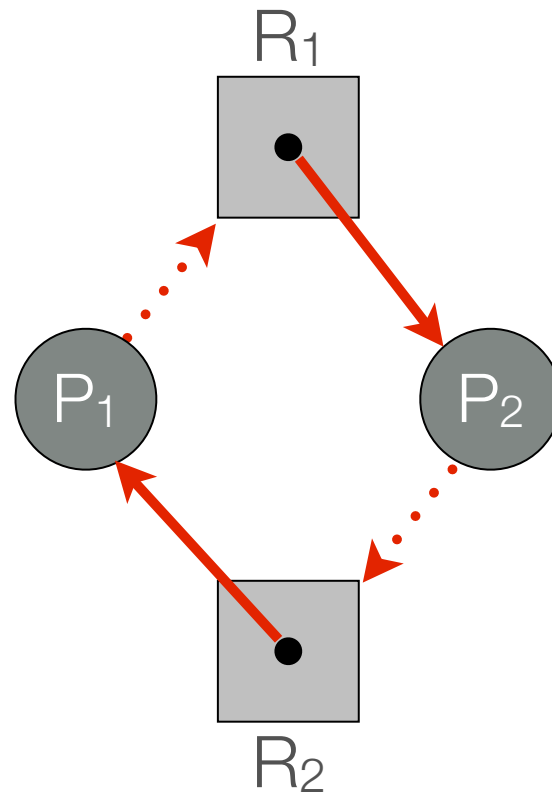


if we convert to an allocation edge ...

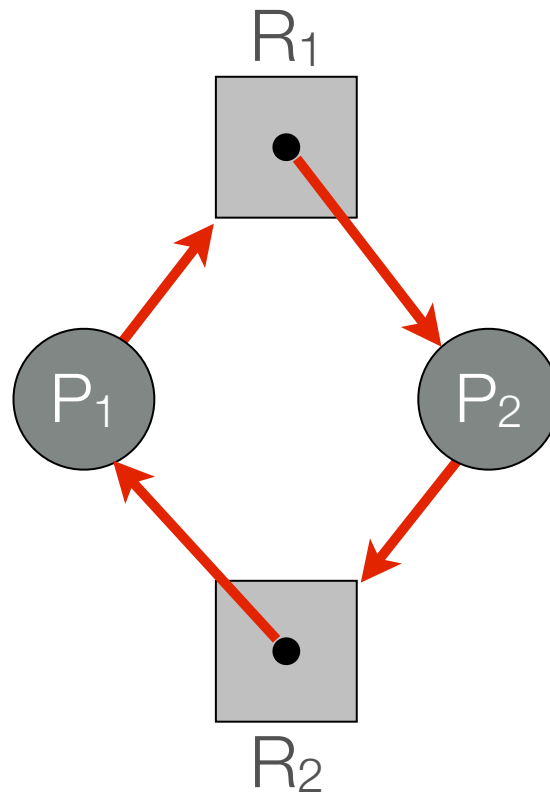




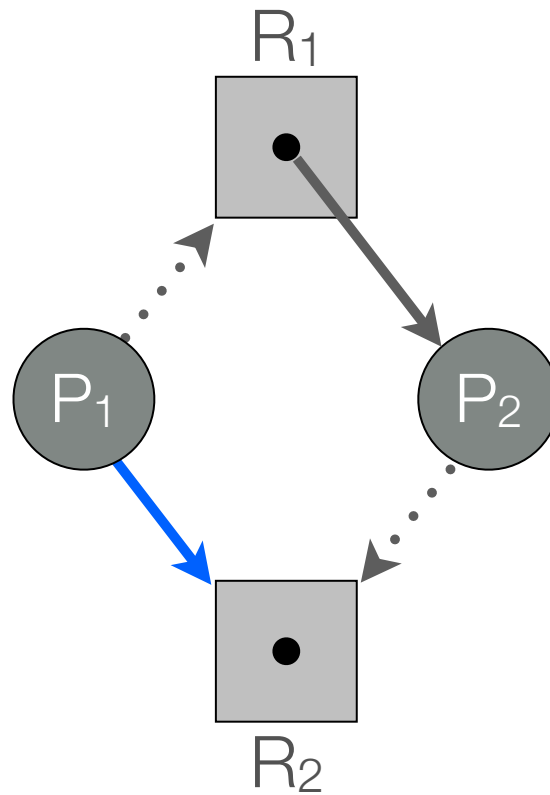
cycle involving claim edges!



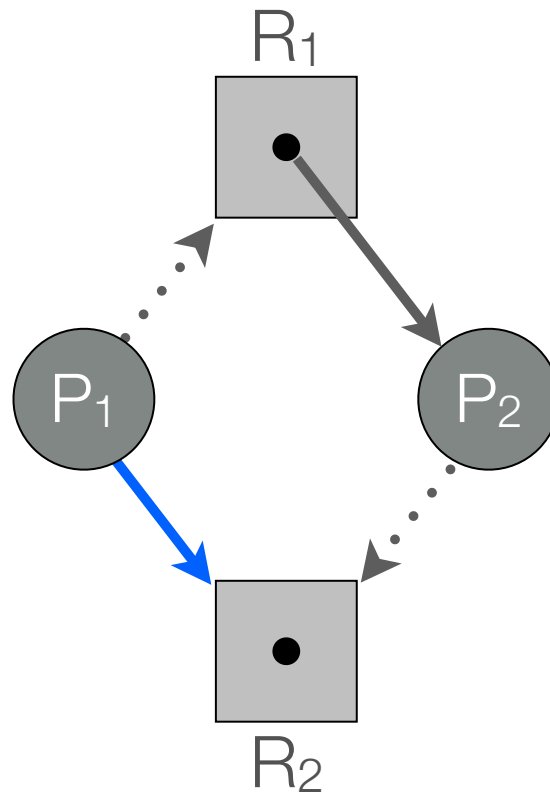
means that if processes fulfill their claims,  
we cannot avoid deadlock!



i.e.,  $P_1 \rightarrow R_1, P_2 \rightarrow R_2$



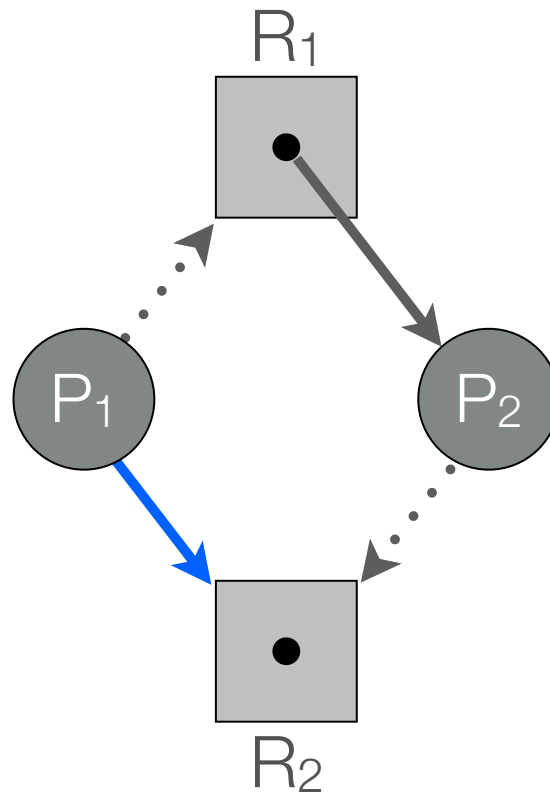
$P_1 \rightarrow R_2$  should be blocked by the kernel,  
*even if it can be satisfied* with available resources



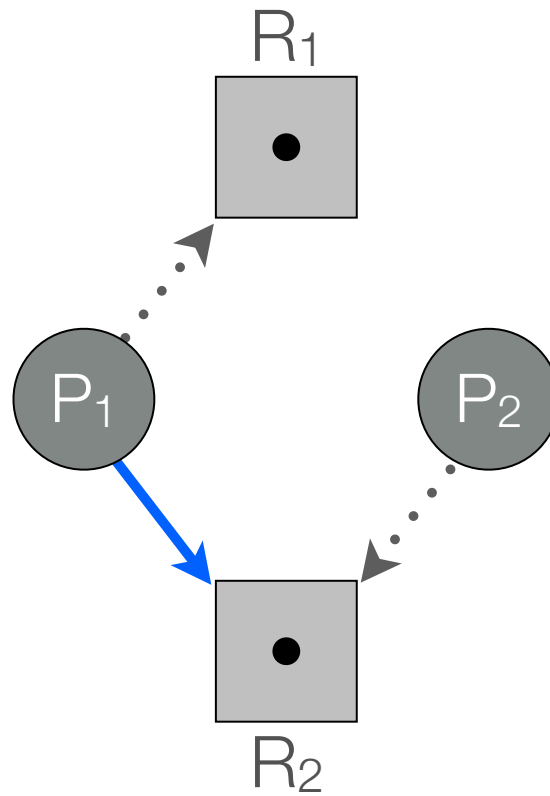
this is a “safe” state ... i.e., no way a process can cause deadlock directly (i.e., without OS alloc)

idea: if granting an incoming request would create a cycle in a graph with claim edges, deny that request (i.e., block the process)

- approve later when no cycle would occur

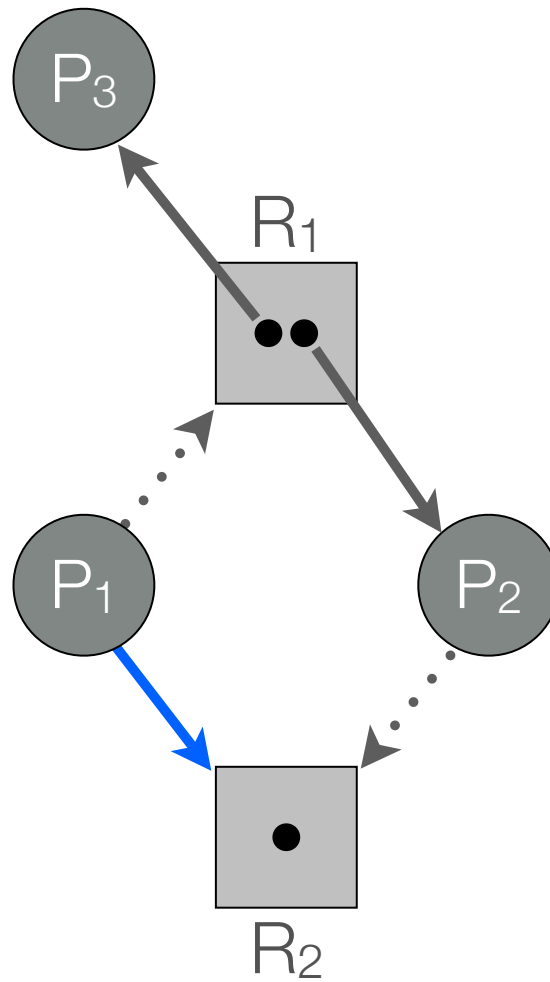


$P_2$  releases  $R_1$



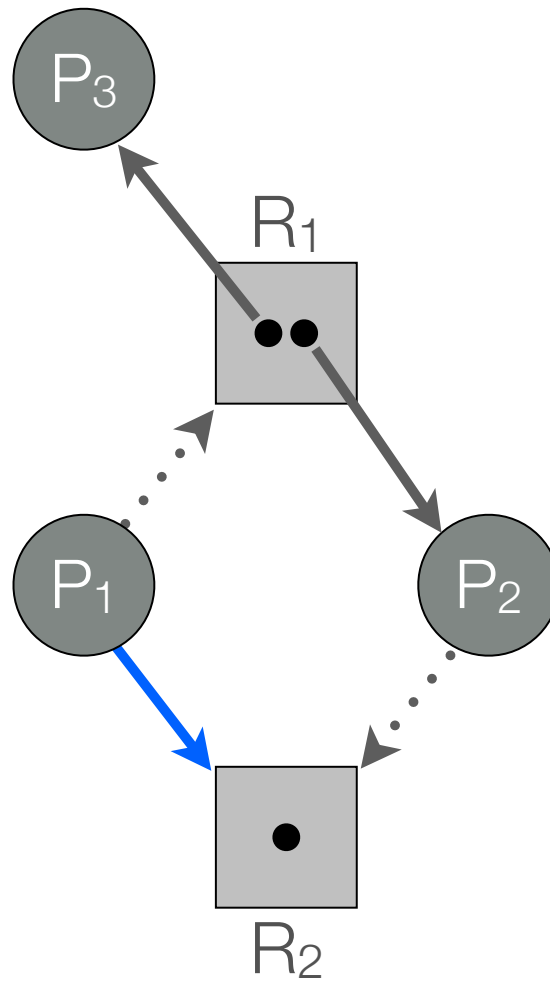
now ok to approve  $P_1 \rightarrow R_2$  (unblock  $P_1$ )





should we still deny  $P_1 \rightarrow R_2$ ?

problem: this approach may incorrectly predict imminent deadlock when *resources with multiple instances* are involved



requires a *more general* definition of “safe state”

# ¶ Banker's Algorithm

(by Edsger Dijkstra)

basic idea:

- define how to recognize system “safety”
- whenever a resource request arrives:
  - *simulate* allocation & check state
  - allocate iff simulated state is safe

some assumptions we need to make:

1. a non-blocked process holding a resource will *eventually* release it
2. it is known *a priori* how many instances of each resource a given process needs

# Safe State

- There exists a sequence  $\langle P_1, P_2, \dots, P_n \rangle$ , where each  $P_k$  can complete with:
  - currently available (free) resources
  - resources held by  $P_1 \dots P_{k-1}$

# Data Structures

Processes  $P_1 \dots P_n$ , Resources  $R_1 \dots R_m$ :

$\text{available}[j]$  = num of  $R_j$  available

$\text{max}[i][j]$  = max num of  $R_j$  required by  $P_i$

$\text{allocated}[i][j]$  = num of  $R_j$  allocated to  $P_i$

$\text{need}[i][j]$  =  $\text{max}[i][j] - \text{allocated}[i][j]$



# Safety Algorithm

1.  $\text{finish}[i] \leftarrow \text{false} \ \forall i \in 1 \dots n$   
 $\text{work} \leftarrow \text{available}$
2. Find  $i : \text{finish}[i] = \text{false} \ \& \ \text{need}[i][j] \leq \text{work}[j] \ \forall j$   
If none, go to 4.
3.  $\text{work} \leftarrow \text{work} + \text{allocated}[i]; \text{finish}[i] \leftarrow \text{true}$   
Go to 2.
4. Safe state iff  $\text{finish}[i] = \text{true} \ \forall i$

incoming request represented by *request array*

$\text{request}[j]$  = num of resource  $R_j$  requested

(a process can require multiple instances of more than one resource at a time)

# Processing Request from $P_k$ :

1. If  $\text{request}[j] \leq \text{need}[k][j] \ \forall j$ , continue, else error
2. If  $\text{request}[j] \leq \text{available}[j] \ \forall j$ , continue, else block
3. Run safety algorithm with:
  - $\text{available} \leftarrow \text{available} - \text{request}$
  - $\text{allocated}[k] \leftarrow \text{allocated}[k] + \text{request}$
  - $\text{need}[k] \leftarrow \text{need}[k] - \text{request}$

if safety algorithm fails, do not allocate, *even if resources are available!*

— either deny request or block caller

## 3 resources: A (10), B (5), C (7)

	Max			Allocated			Available			Need		
	A	B	C	A	B	C	A	B	C	A	B	C
P <sub>0</sub>	7	5	3	0	1	0	3	3	2	7	4	3
P <sub>1</sub>	3	2	2	2	0	0				1	2	2
P <sub>2</sub>	9	0	2	3	0	2				6	0	0
P <sub>3</sub>	2	2	2	2	1	1				0	1	1
P <sub>4</sub>	4	3	3	0	0	2				4	3	1

- Safe state:  $\langle P_1, P_3, P_0, P_2, P_4 \rangle$
- P<sub>3</sub> requests  $\langle 0, 0, 1 \rangle$
- P<sub>0</sub> requests  $\langle 0, 3, 0 \rangle$

## ¶ Banker's algorithm discussion

# 1. Efficiency?

- how fast is it?
- how often is it run?

1.  $\text{finish}[i] \leftarrow \text{false} \quad \forall i \in 1 \dots n$

$\text{work} \leftarrow \text{available}$      *for up to N processes, check M resources*

2. Find  $i : \text{finish}[i] = \text{false} \ \& \ \text{need}[i][j] \leq \text{work}[j] \quad \forall j$

If none, go to 4.

3.  $\text{work} \leftarrow \text{work} + \text{allocated}[i]; \text{finish}[i] \leftarrow \text{true}$

Go to 2.     *loop for N processes*

4. Safe state iff  $\text{finish}[i] = \text{true} \quad \forall i$

$$O(N \cdot N \cdot M) = O(N^2 \cdot M)$$



how often to run?

- need to run on *every resource request*
- can't relax this, otherwise system might become unsafe!

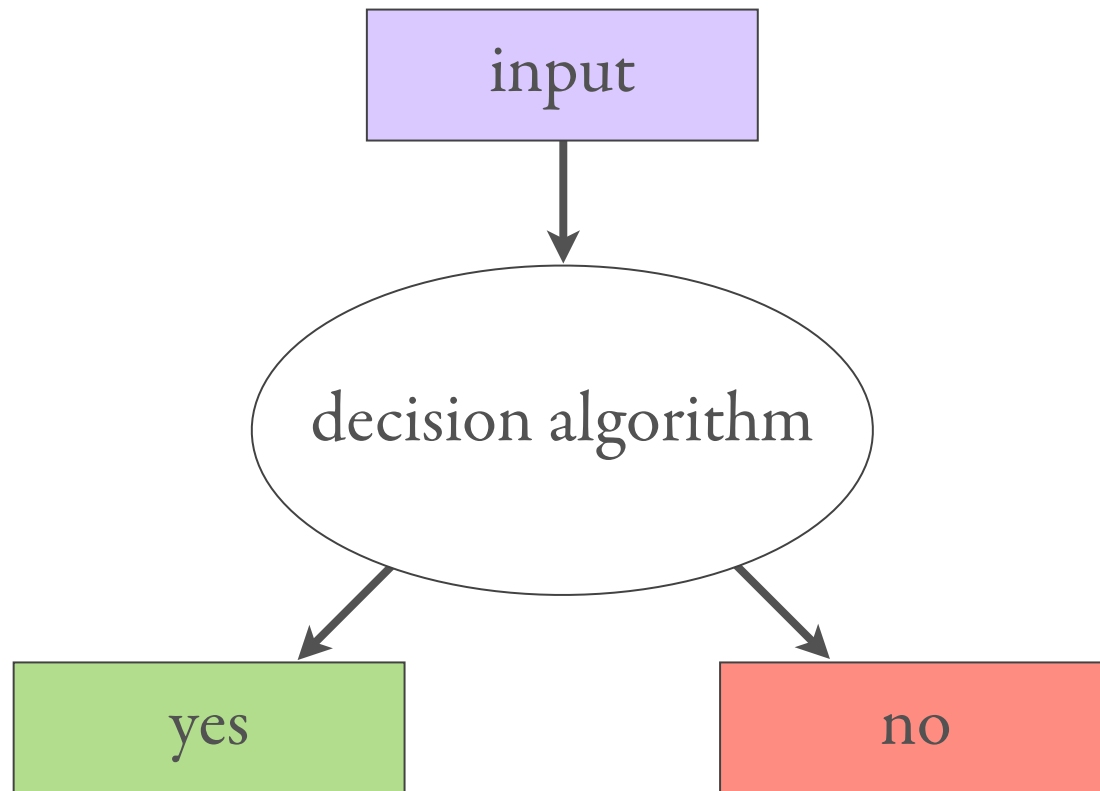
2. Assumption #1: processes will *eventually* release resources

- assuming well-behaved processes
- not 100% realistic, but what else to do?

3. Assumption #2: a priori knowledge of max resource requirements

- highly unrealistic
- process resource needs are dynamic!
- without this assumption, deadlock prevention becomes *much harder...*

¶ Aside: decision problems,  
complexity theory  
& the halting problem



a decision problem

e.g., is  $X$  evenly divisible by  $Y$ ?

is  $N$  a prime number?

does string  $S$  contain pattern  $P$ ?



a lot of important problems can be reworded as decision problems:

e.g., traveling salesman problem (find the shortest tour through a graph)

$\Rightarrow$  is there a tour shorter than  $L$ ?

complexity theory *classifies* decision problems  
by their *difficulty*, and draws *relationships*  
between those problems & classes

class **P**: solutions to these problems can be found in polynomial time (e.g.,  $O(N^2)$ )

class **NP**: solutions to these problems can be  
*verified* in polynomial time

— but *finding* solutions may be harder!  
(i.e., superpolynomial)

big open problem in CS:

$$P = NP?$$

why is this important?

all problems in **NP** can be reduced to another problem in the **NP-complete** class,

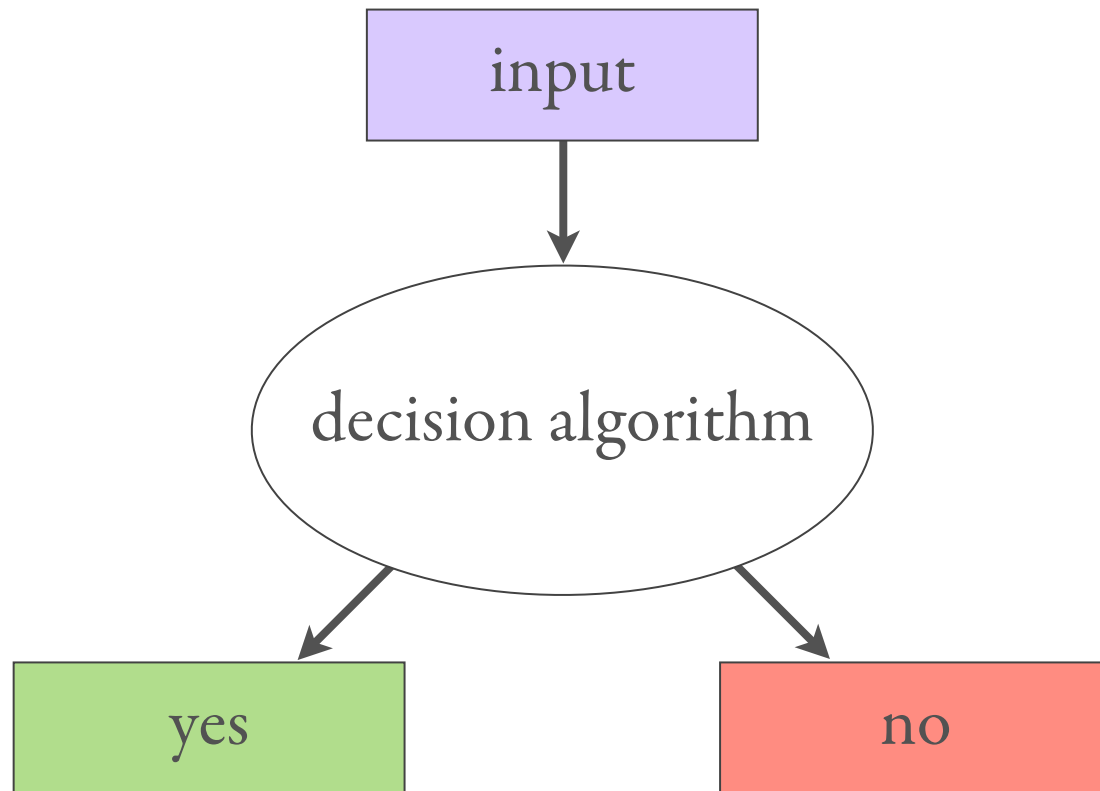
and all problems in **NP-complete** can be reduced to each other)

if you can prove that *any* NP-complete problem is in P, then *all* NP problems are in P!

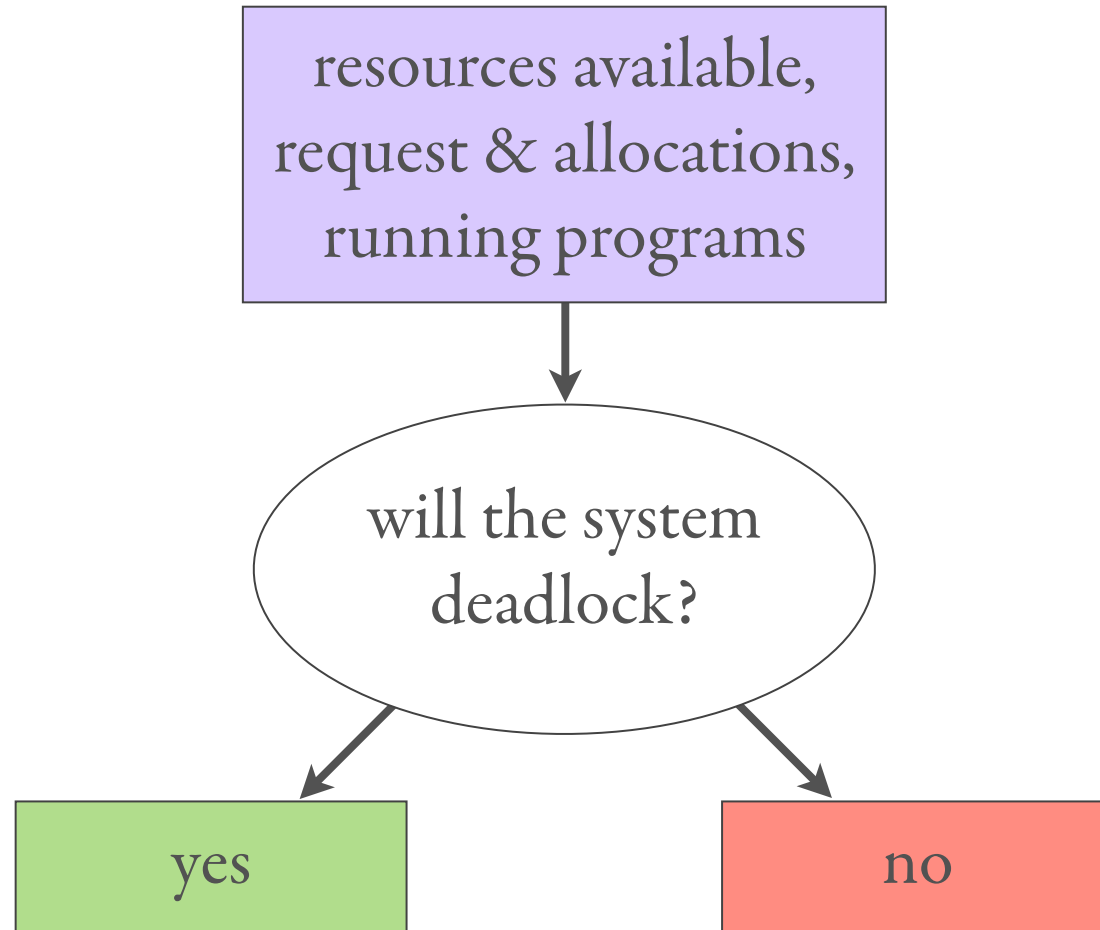
(more motivation: you also win \$1M)



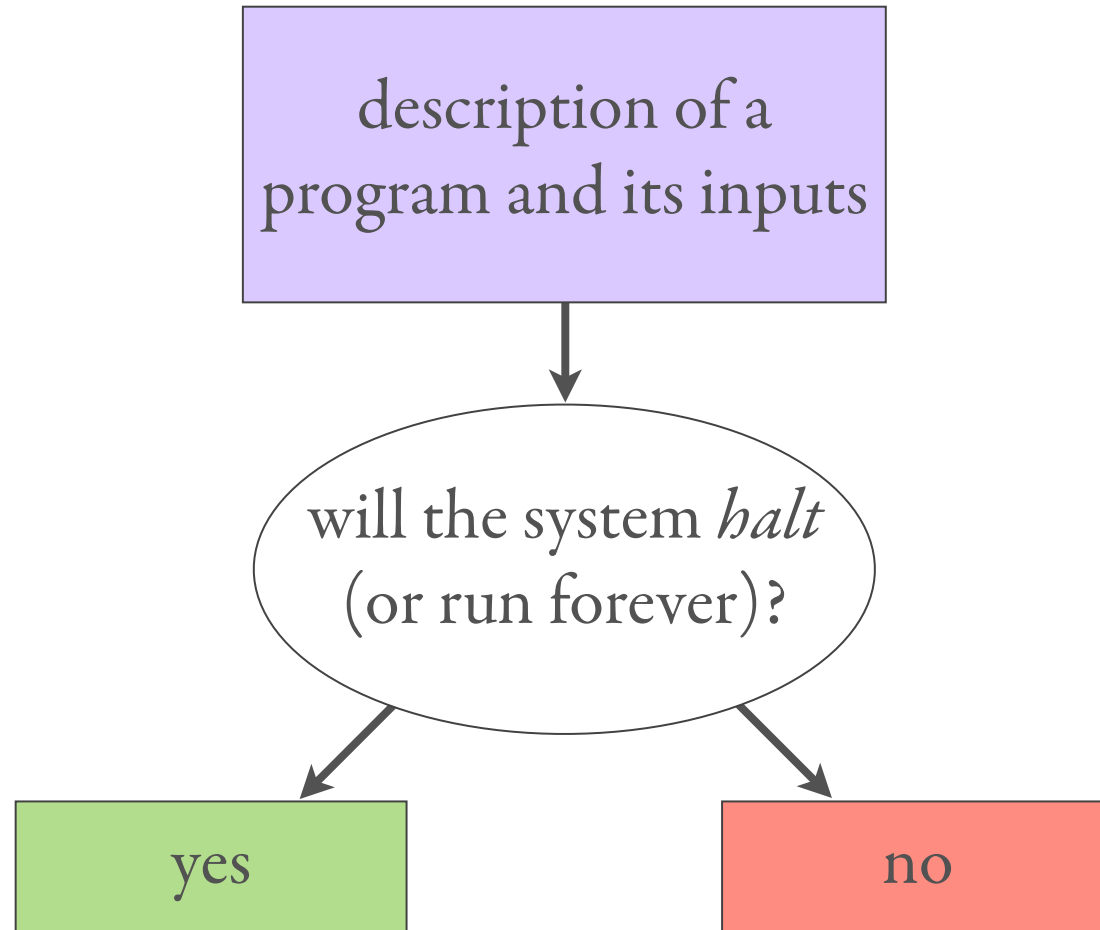
if you can prove  $P \neq NP$ , we can *stop looking* for  
fast solutions to many hard problems  
(motivation: you *still* win \$1M)



a decision problem



deadlock prevention



the halting problem

e.g., write the function:

`halt(f) → bool`

- return true if `f` will halt
- return false otherwise

```
def halt(f):  
    # your code here  
  
def loop_forever():  
    while True: pass  
  
def just_return():  
    return True
```

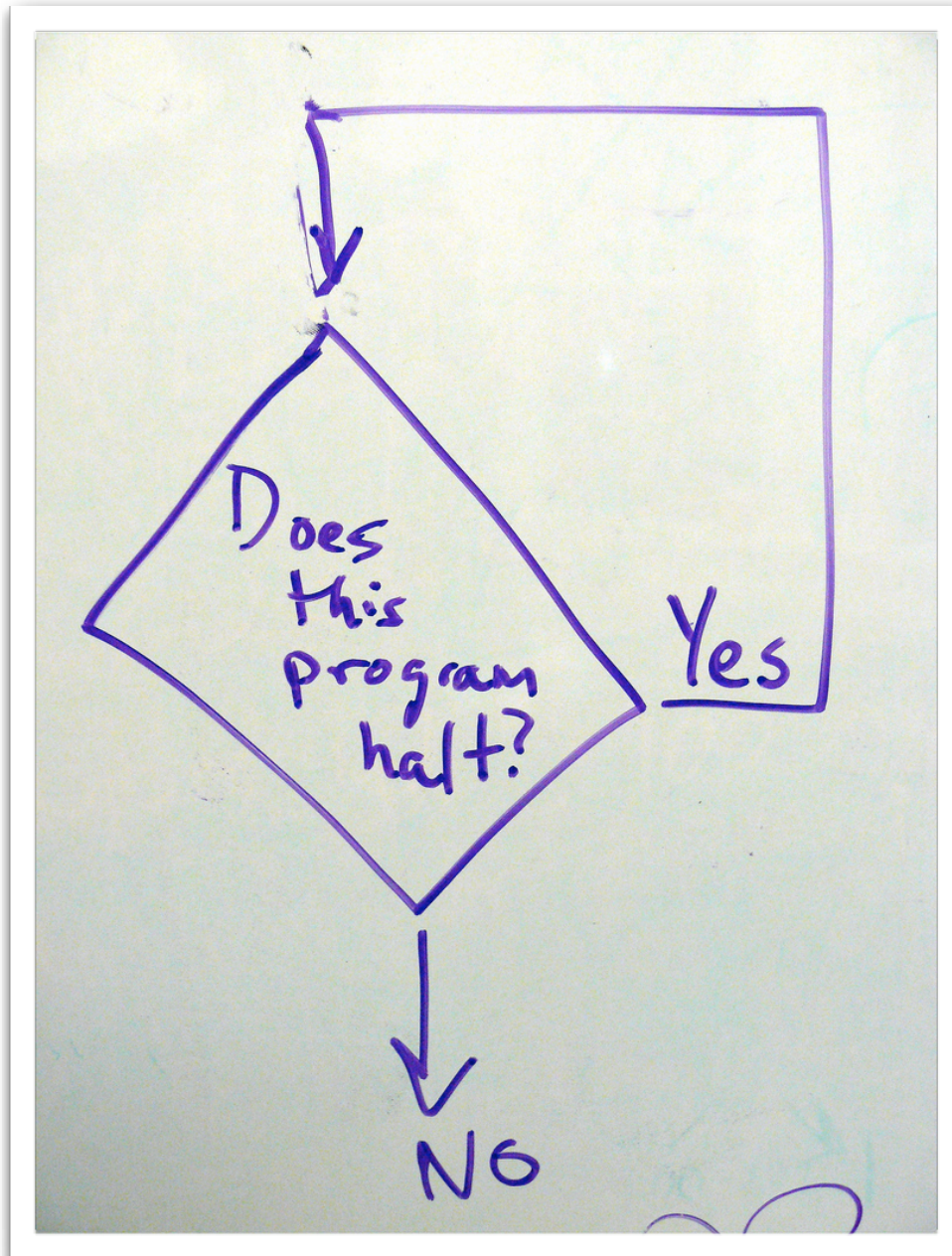
```
halt(loop_forever) # => False  
  
halt(just_return) # => True
```

```
def halt(f):  
    # your code here
```

```
def gotcha():  
    if halt(gotcha):  
        loop_forever()  
    else:  
        just_return()
```

```
halt(gotcha)
```

#\$^%&#@!!!





proof by contradiction:  
the halting problem is *undecidable*

generally speaking, deadlock prediction *can be reduced to* the halting problem

i.e., determining if a system is deadlocked is, in general, *provably impossible!!*

∴-(

# § Deadlock Detection & Recovery

¶ Basic approach: cycle detection

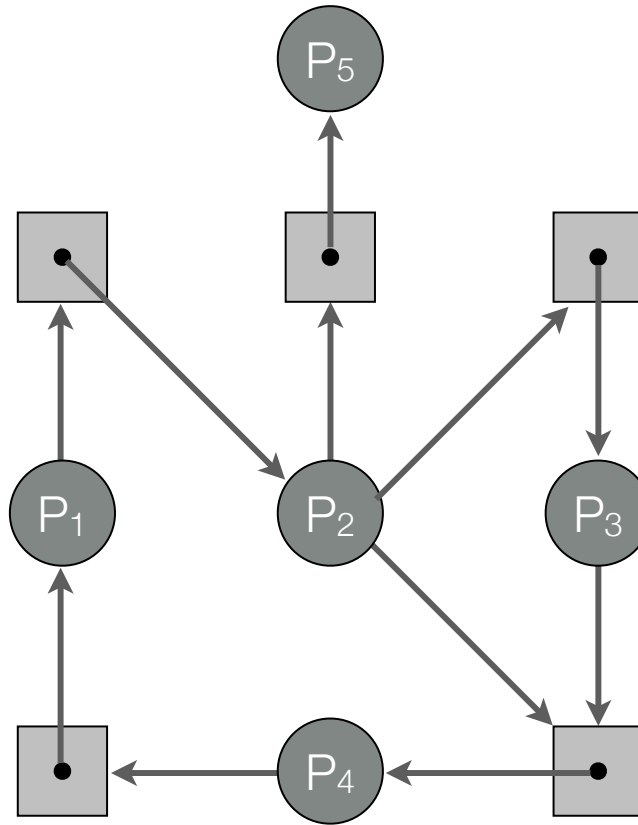
e.g., Tarjan's strongly connected components algorithm;  $O(|V|+|E|)$

need only run on mutex resources and  
“involved” processes

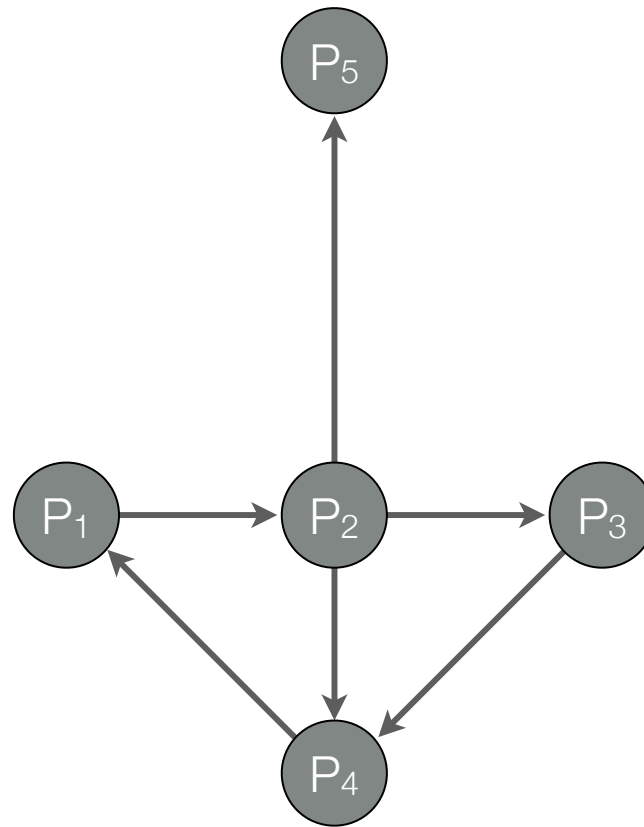
... still, would be nice to reduce the  
size of the resource allocation graph



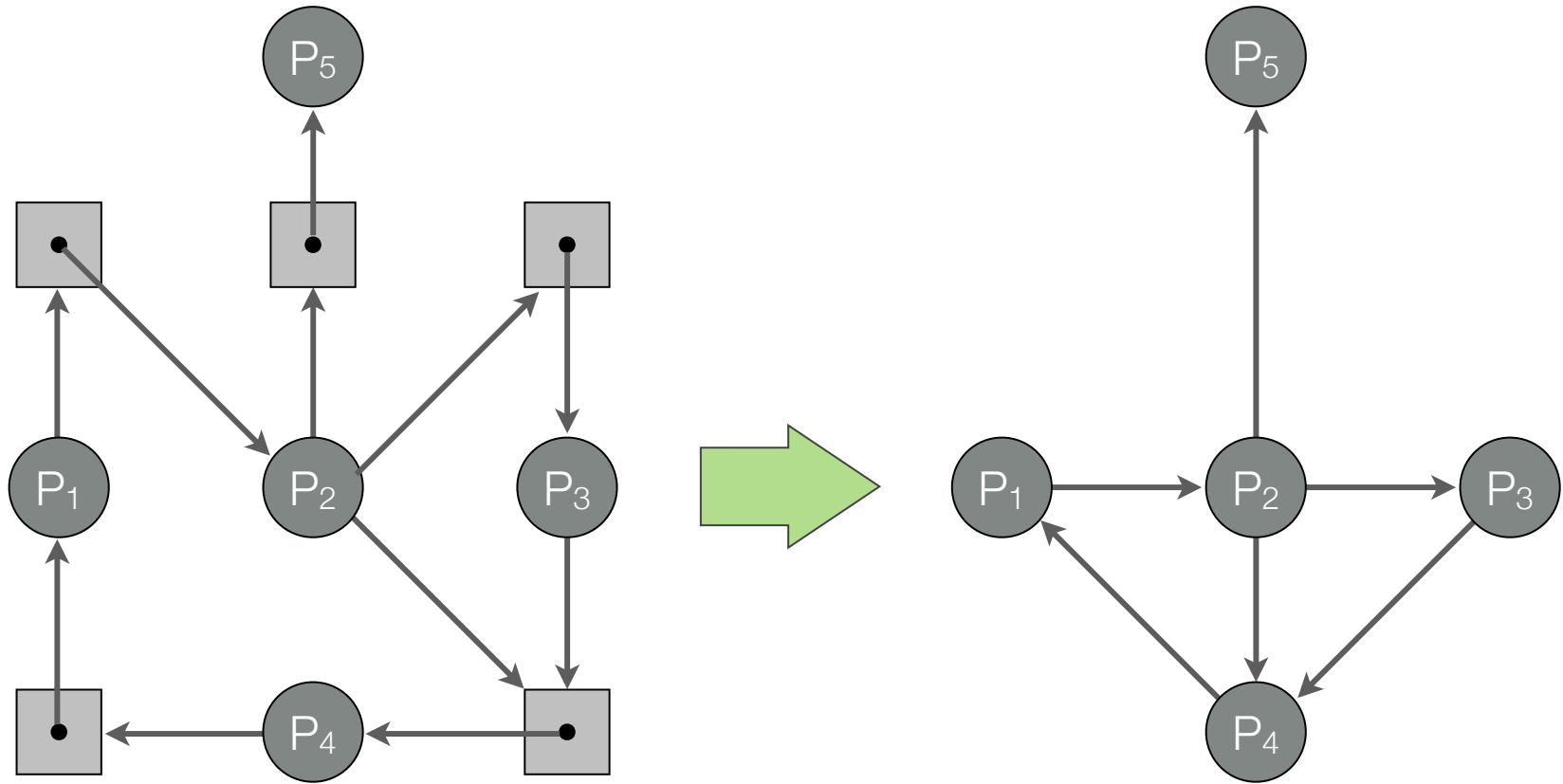
actual resources involved are unimportant —  
only care about *relationships between processes*



Resource Allocation Graph



“Wait-for” Graph



Substantial optimization!

... but not very useful when we have multi-instance resources (false positives are likely)

# ¶ Deadlock detection algorithm

important: do away with requirement of  
a priori resource need declarations

new assumption: processes can complete with  
*current allocation + all pending requests*

i.e., no future requests

unrealistic! (but we have no crystal ball)




keep track of all pending requests in:

$\text{request}[i][j] = \text{num of } R_j \text{ requested by } P_i$

# Detection algorithm

ignore processes  
that aren't allocated  
anything



1.  $\text{finish}[i] \leftarrow \text{all\_nil?}(\text{allocated}[i]) \quad \forall i \in 1 \dots n$   
 $\text{work} \leftarrow \text{available}$
2. Find  $i$ :  $\text{finish}[i] = \text{false} \ \& \ \text{request}[i][j] \leq \text{work}[j] \quad \forall j$   
If none, go to 4.
3.  $\text{work} \leftarrow \text{work} + \text{allocated}[i]$ ;  $\text{finish}[i] \leftarrow \text{true}$   
Go to 2.
4. If  $\text{finish}[i] \neq \text{true} \quad \forall i$ , system is deadlocked.

3 resources: A (7), B (2), C (6)

	Allocated			Request			Available		
	A	B	C	A	B	C	A	B	C
P <sub>0</sub>	0	1	0	0	0	0	0	0	0
P <sub>1</sub>	2	0	0	2	0	2			
P <sub>2</sub>	3	0	3	0	0	0			
P <sub>3</sub>	2	1	1	1	0	0			
P <sub>4</sub>	0	0	2	0	0	2			

- Not deadlocked:  $\langle P_0, P_2, P_1, P_3, P_4 \rangle$
- P<sub>2</sub> requests  $\langle 0, 0, 1 \rangle$

# ¶ Discussion

1. Speed?

1.  $\text{finish}[i] \leftarrow \text{all\_nil?}(\text{allocated}[i]) \quad \forall i \in 1 \dots n$   
 $\text{work} \leftarrow \text{available}$
2. Find  $i$ :  $\text{finish}[i] = \text{false} \ \& \ \text{request}[i][j] \leq \text{work}[j] \quad \forall j$   
If none, go to 4.
3.  $\text{work} \leftarrow \text{work} + \text{allocated}[i]$ ;  $\text{finish}[i] \leftarrow \text{true}$   
Go to 2.
4. If  $\text{finish}[i] \neq \text{true} \quad \forall i$ , system is deadlocked.

$$\text{Still } O(N \cdot N \cdot M) = O(N^2 \cdot M)$$

## 2. When to run?

... as seldom as possible!

tradeoff: the longer we wait between checks,  
the messier resulting deadlocks might be



### 3. Recovery?

One or more processes must release resources:

- via forced termination

- resource preemption

cool, but how?

- system rollback

Resource preemption only possible with certain types of resources

- no intermediate state
- can be taken away and returned (while blocking process)
  - e.g., mapped VM page

Rollback requires process *checkpointing*:

- periodically autosave/reload process state
- cost depends on process complexity
- easier for special-purpose systems

How many to terminate/preempt/rollback?

- at least one for each disjoint cycle

- non-trivial to determine how many cycles and which processes!

Selection criteria (who to kill) = minimize cost

- # processes
- completed run-time
- # resources held / needed
- arbitrary priority (no killing system processes!)



Dealing with deadlock is *hard*!



Moral of this and the concurrency material:

- be careful with concurrent resource sharing
- use concurrency mechanisms that avoid explicit locking whenever possible!