# CS 450: Operating Systems Lecture 7: Concurrent Programming II

Spring 2014, J. Sasaki Dept of Computer Science Illinois Institute of Technology

#### Amdahl's Law

# How Much Speedup?

- Matrix multiplication is a rare example of a perfectly parallelizable algorithm.
  - Even so, with *N* cores, we don't get *N* times faster results overhead.
- What about algorithms that aren't perfectly parallelizable?

### **Best Runtime**

- Let S be the fraction of our program that is serial-only (not parallelizable);  $0 \le S \le 1$ .
  - So 1–S is parallelizable.
- If we have N cores, then the best runtime we can hope for is S+(1-S)/N.
- For perfectly parallelizable program S=0, 1–S=
  1, so with N cores our best runtime is 1/N.

#### Amdahl's Law

- Our new runtime  $\geq S + (1-S)/N$
- Amdahl's law:

Speedup  $\leq 1/(S+(1-S)/N)$ 

- As  $N \rightarrow \infty$ , runtime  $\rightarrow S$ ; speedup  $\rightarrow 1/S$ .
- Speedup severely limited by S. Examples:
  - S = 20%; speedup  $\leq 5$
  - S = 10%; speedup  $\leq 10$

# **Estimating S**

- If  $T_{new}$  and  $T_{old}$  are the new and old runtimes, then
  - $T_{new}/T_{old} = S + (1-S)/N$
  - So  $S = (N \times T_{new}/T_{old} 1)/(N 1)$
- Matrix multiplication example
  - $T_{old} = 355.4 \text{ ms}$
  - For *N*=2, *T<sub>new</sub>*=207.3 ms, so *S*=17%
  - For *N*=3, *T<sub>new</sub>*=210.7 ms, so S=39%

# **Process Synchronization**

(Chapter 5)

# Concurrent Execution and Race Conditions

# **Concurrent Execution**

- Concurrent or parallel execution of computation sequences (call them "threads" for short):
  - Each sequence executes sequentially.
  - But the two sequences are interleaved nondeterministically.

# **Cooperation is Good**

- Concurrent/parallel programs need their computation sequences to cooperate.
  - Communicate data: Messages, shared data
  - Synchronize (transfer pgm counter info)

# **Cooperation is Hard**

- Cooperation is hard because any shared state can change nondeterministically.
- What does reading or setting a variable *V* tell you about the value of *V*?
- Even if you inspect or update a shared variable, you have no idea what its current value is unless you know something about the programs involved.

# **Synchronization**

- We might know how do individual threads behave in isolation...
- But behavior together can be totally unlike behavior in isolation.
- Plus, # potential interaction points is large!
- Synchronization problems are HARD.

# **Combining Behaviors**

- Example: If x=10 before thread 0 runs x++ and thread 1 runs x-- then what is x afterwards?
- Thread 0: reg0←x; reg0++; x←reg0;
- Thread 1: reg1←x; reg1--; x←reg1;
- Result depends on sizes of basic operations and on their order of interleaving.

# **Granularity of Interleaving**

- We broke up x++ into reg0 ← x; reg0++; x ← reg0 because these (probably) correspond to hardware instructions.
- Can hardware instructions be interleaved?
- Can memory accesses be interleaved?

### A Nice Interleaving

Thread 0	Thread 1	x	reg0	reg1
$reg0 \leftarrow x;$		10	10	
reg0++;		10	11	
$x \leftarrow reg0;$		11	11	
	$reg1 \leftarrow x;$	11	11	11
	reg1;	11	11	10
	x←reg1;	10	11	10

### A Less-Nice Interleaving

Thread 0	Thread 1	x	reg0	reg1
reg0 $\leftarrow$ x;		10	10	
	$reg1 \leftarrow x;$	10	10	10
	reg1;	10	10	9
	x←reg1;	9	10	9
reg0++;		9	11	9
$x \leftarrow reg0;$		11	11	9

### **Race Condition**

- A race condition occurs when the correctness of a program depends on the relative speed of its threads.
- Avoid race conditions by making sure that all allowed execution interleavings produce acceptable results.
- Control granularity of interleaving.
- Stop threads when they shouldn't continue.

### Use a Flag to Signal OK to Go?

/\* Thread 0 \*/ /\* Thread 1 \*/ ok to go = false; ok to go = false; x++;

while (!ok to go) ; while (!ok to go) ; x--;

ok to go = true; ok\_to\_go = true;

# Uh, oh

Thread 0	Thread 1	ok_to_go	
while(!ok_to_go);		true	
	<pre>while(!ok_to_go);</pre>	true	
<pre>ok_to_go = false;</pre>		false	
	ok_to_go = false;	false	
etc	etc	false	